## Topic No. 09 <br>  <br> \#1

## Question 1

Figure 1 can be transformed to create Figure 2 using a single transformation.


Which transformation can be used to accomplish this?
A dilation
B rotation
C reflection
D translation

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## Question 2

Which sequence of transformation takes $\Delta \mathrm{A}$ to its image, $\Delta \mathrm{B}$ ?


A reflection over the $x$-axis and translation 2 units down
B reflection over the $y$-axis and translation 2 units down
C translation 2 units down and $90^{\circ}$ rotation about the origin
D translation 12 units right and $90^{\circ}$ rotation about the origin


## Question 3

A sequence of transformations was applied to an equilateral triangle in a coordinate plane. The transformations used were rotations, reflections, and translations. Which statement about the resulting figure is true?

A It must be an equilateral triangle with the same side lengths as the original triangle.

B It must be an equilateral triangle, but the side lengths may differ from the original triangle.

C It may be a scalene triangle, and all the side lengths may differ from the original triangle.

D It may be an obtuse triangle with at least one side the same length as the original triangle.

## Question 4

Figure Q was the result of a sequence of transformations on figure P , both shown below.


Which sequence of transformations could take figure P to figure Q ?
A reflection over the $x$-axis and translation 7 units right
B reflection over the $y$-axis and translation 3 units down
C translation 1 unit right and $180^{\circ}$ rotation about the origin
D translation 4 units right and $180^{\circ}$ rotation about the origin

## Question 5

Figure X and figure Y are shown on the coordinate grid below.


Which statement about figures X and Y must be true?
A. A series of translations will transform figure X to figure Y , and the figures will be congruent.
B. A $180^{\circ}$ clockwise rotation will transform figure X to figure Y , and the figures will be congruent.
C. A series of translations will transform figure X to figure Y , but the figures will not be congruent.
D. A $180^{\circ}$ clockwise rotation will transform figure X to figure Y , but the figures will not be congruent.

## Question 6

Figure L and figure M are shown on the grid below.


Maria wants to transform figure L to figure M using only rotations, reflections, and translations. Which statement is true?
A. The transformation can be done with a reflection followed by a rotation.
B. The transformation can be done with a reflection followed by a translation.
C. The transformation cannot be done because figure L is not congruent to figure M .
D. The transformation cannot be done because figures $L$ and $M$ are in different quadrants.

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## Question 7

If $\triangle \mathrm{ABC}$ is rotated 90 clockwise about the origin, what will be the new coordinates of vertex B?


A $(-1,-4)$
B $(1,4)$
C $(4,1)$
D $(4,-1)$

## Question 8

The circle shown below is centered at $(0,0)$ and passes through point $P$ located at (2, o).


The circle is dilated with the center of dilation at the origin and a scale factor of 0.5 and then translated up 3 units. What are the coordinates of the image of point $\mathbf{P}$ after this transformation?

A $(4,3)$

B $(1,3)$

C $(1,1.5)$

D $(0.5,3)$

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## Question 9

When $\triangle \mathrm{ABC}$ was dilated by a scale factor of 2 , centered at the origin, the result was its image $\Delta A^{\prime} B^{\prime} C^{\prime}$ shown on the coordinate plane below. The vertices of $\Delta A^{\prime} B^{\prime} C^{\prime}$ are $A^{\prime}(-4,4), B^{\prime}(-4,6)$, and $C^{\prime}(2,4)$.


What are the coordinates of the vertices of $\triangle \mathrm{ABC}$ ?

Vertices A ( $\qquad$ , $\qquad$ ) B $\qquad$ ,
 ) C $\qquad$ , ___

## Question 10

Triangle $A B C$ was rotated $90^{\circ}$ clockwise. Then it underwent a dilation centered at the origin with a scale factor of 4 . Triangle $A^{\prime} B^{\prime} C^{\prime}$ is the resulting image.

What parts of $\Delta A^{\prime} B^{\prime} C^{\prime}$ are congruent to the corresponding parts of the original triangle? Explain your reasoning.

Compare the perimeters of $\triangle A B C$ and $\triangle A^{\prime} B^{\prime} C^{\prime}$. Explain your reasoning.

